



Development of an LES-LPT based method for ice accretion simulation

R.Z. SZASZ, LUND UNIVERSITY,
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Wind Turbine Icing Research

- Where?
 - Icing maps
- Ice prevention
 - passive
 - active
- Detection and measurement
- How does the ice accrete?
- Measurements
- Computations



Modeling Ice Accretion

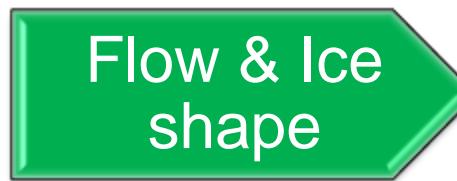
- Icing types
 - Glaze
 - Rime
- Strategies

$$\frac{dM}{dt} = \alpha_1 \alpha_2 \alpha_3 \phi u A$$

- α_i –
collision/sticking/accretion
efficiency

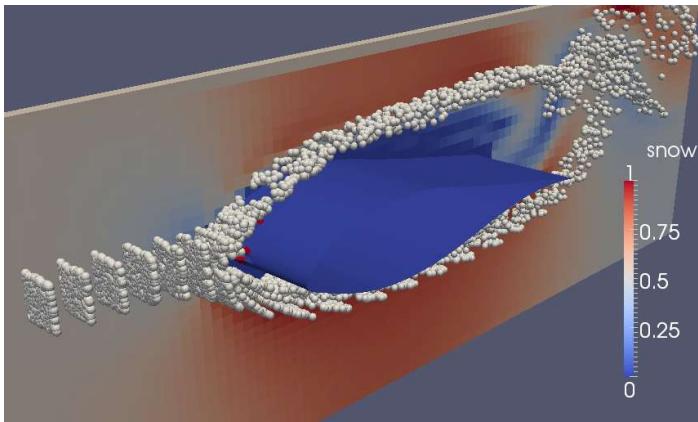


LEWICE, TURBICE



FENSAP-ICE

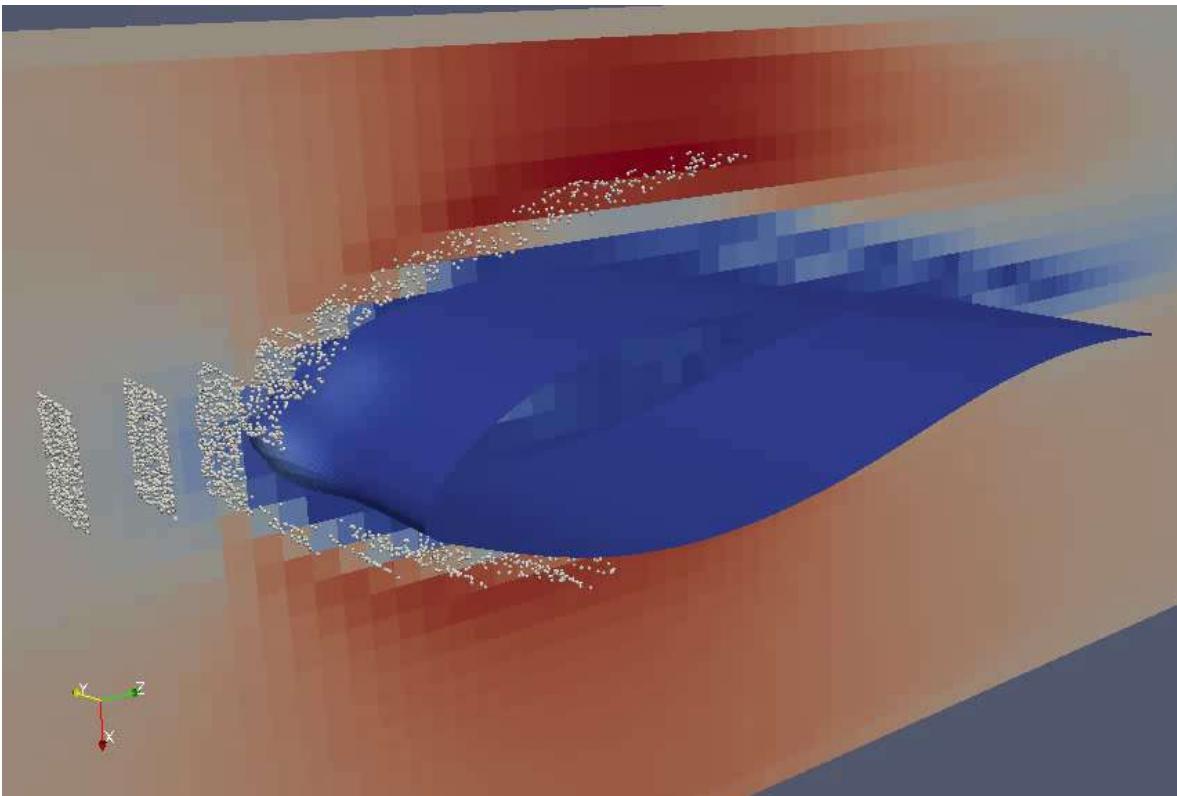
Goals



- Develop tool to model simultaneously flow and ice accretion
 - Efficient (relative)
 - Flexible
 - » Avoid/fewer model coefficients
 - » Complex/moving geometries
 - Combine with other modules
 - » Performance
 - » Noise

$$\frac{dM}{dt} = \alpha_1 \alpha_2 \alpha_3 \phi u A$$

Method

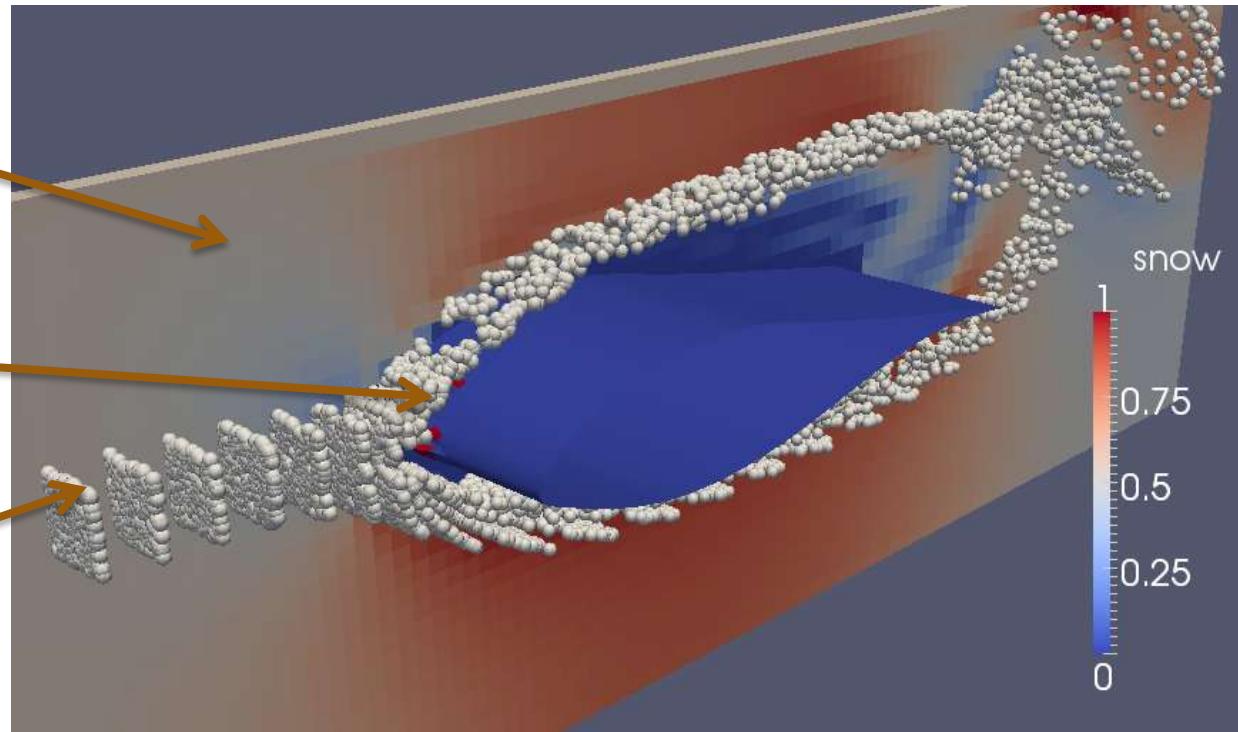


Method

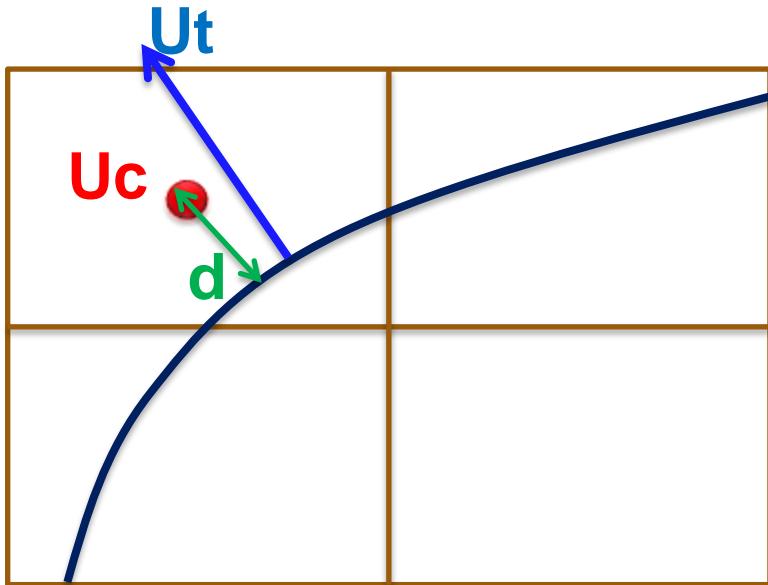
Flow: LES + Im.Bound.

Accretion: Impacting
droplets freeze
instantaneously

Droplets: LPT

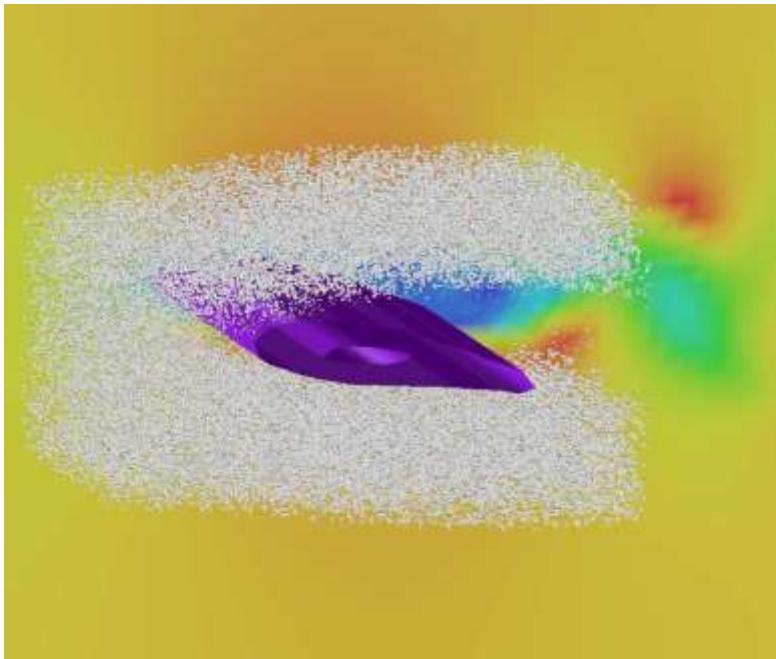


Flow



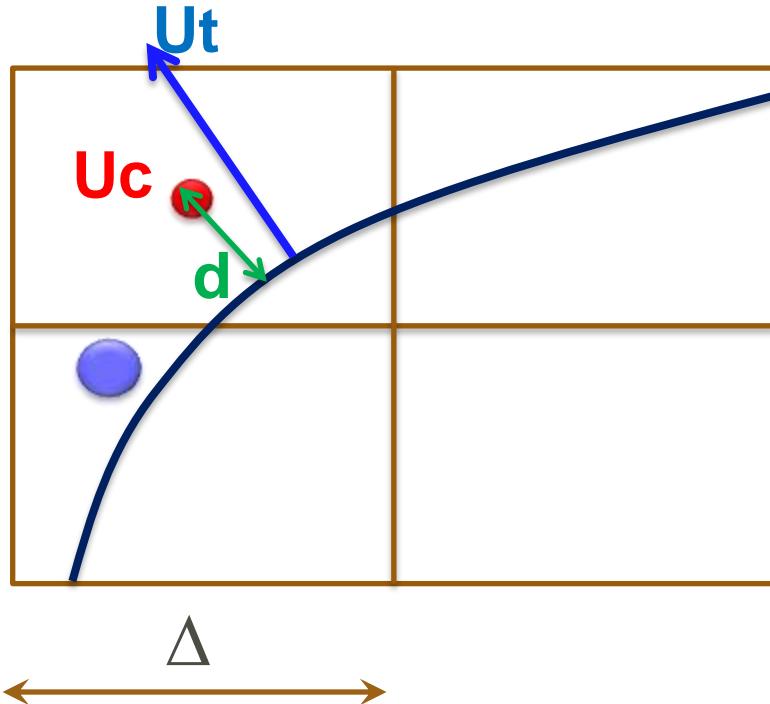
- Incompressible Navier Stokes
- Finite Differences (3rd, 4th)
- LES (implicit)
- Equidistant Cartesian grid
- Immersed Boundary

Droplet transport



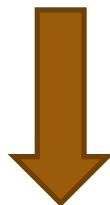
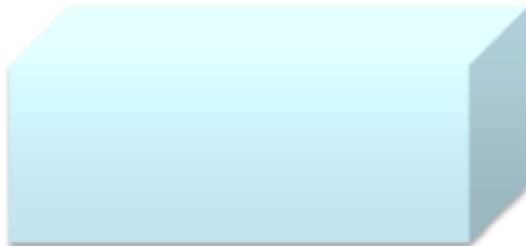
- Lagrangian Particle Tracking
- Typically low LWC
 - Only drag force
 - No collision
 - No break-up
- Release: rectangular area, random distribution
- Removal: accretion or max streamwise position
- Impact parameters logged

Ice Accretion

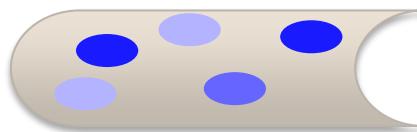


- All droplets impacting on the surface freeze instantaneously
 - Rime-ice conditions
 - For other conditions heat transfer must be included
- Distance from distance function used for IBM
 - Efficient but slightly lower accuracy
- Critical distance
 - $d_{cr} = f\Delta$

Changing the surface shape

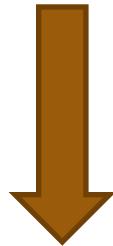
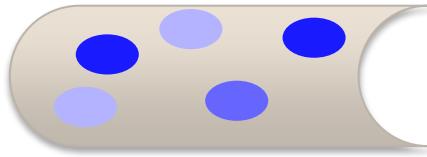


$C_T * N, x, y, z, d$



- CFD: N, x, y, z, d, m
- every N^{th} timestep
 - Can be extrapolated in time: $m_{\text{ice}} = m_{\text{ice}} * C_{\text{time}}$

Changing the surface shape

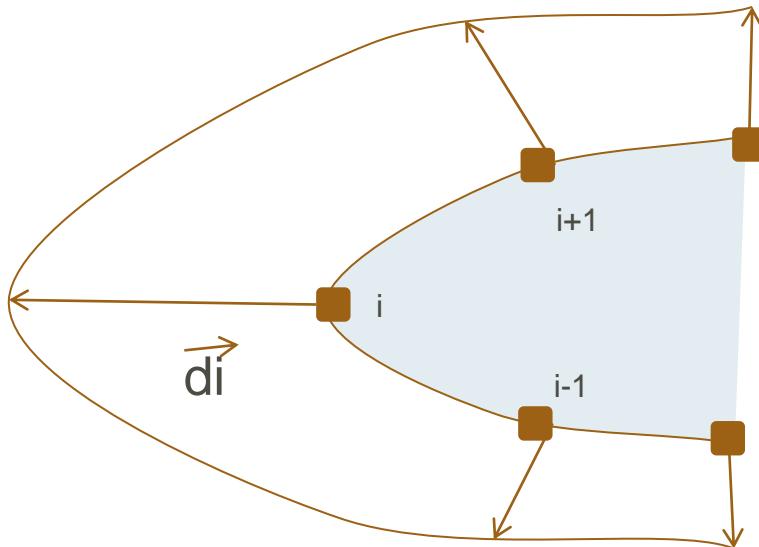


Filtering



- CFD: N,x,y,z,d,m
- every Nth timestep
 - Can be extrapolated in time: $m_{ice} = m_{ice} * C_{time}$
 - Trapped air can be accounted for here
- Filtering

Changing the surface shape



$$\vec{D}_i \approx V_{\text{ice}_i} / A_{\text{dualcell}}$$

- CFD: N, x, y, z, d, m
- every Nth timestep
 - Can be extrapolated in time:
 $V_{\text{ice}} = V_{\text{ice}} * C_{\text{time}}$
 - Trapped air can be accounted for here
- Filtering
- Iterative algorithm
 - Towards outer normal
 - Assure added V_{ice}
 - Only a few iterations needed

Noise computations

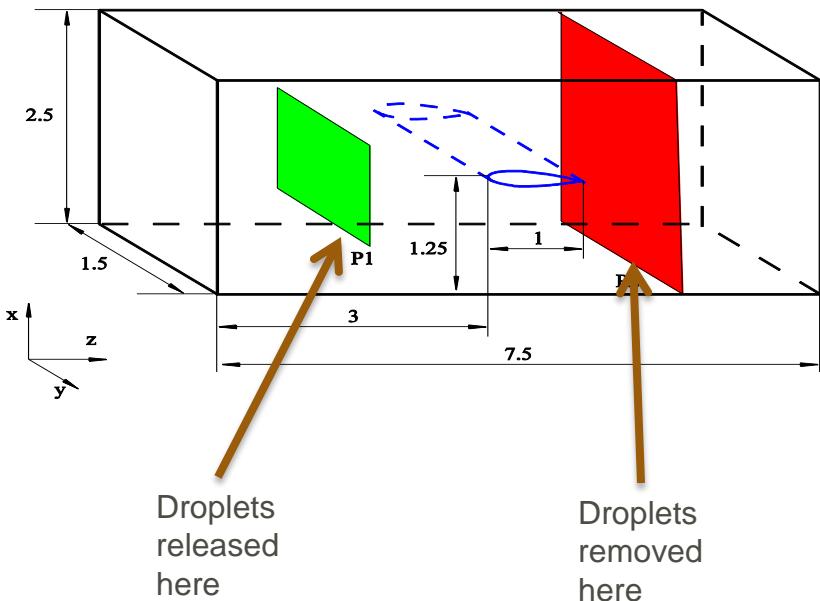
- Hybrid-method (Lighthill)

$$\frac{1}{c^2} \frac{\partial p'^2}{\partial t^2} - \nabla^2 p' = \frac{\partial^2 T_{ij}}{\partial x_i \partial x_j}$$

- Advantages
 - Dedicated solvers for flow & acoustics
 - Acoustic sources can be iterated
 - Possibility of different
 - » Mesh
 - » Computed physical time



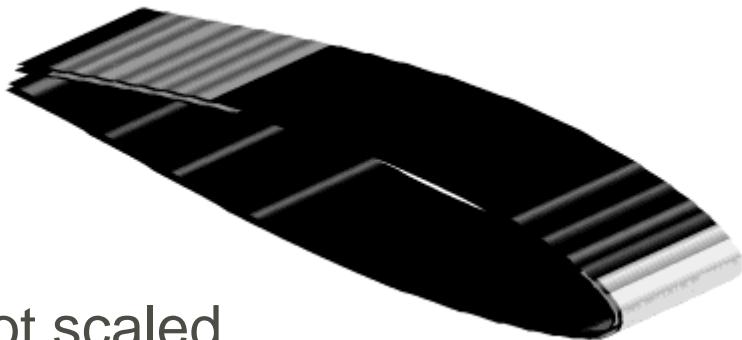
Case set-up



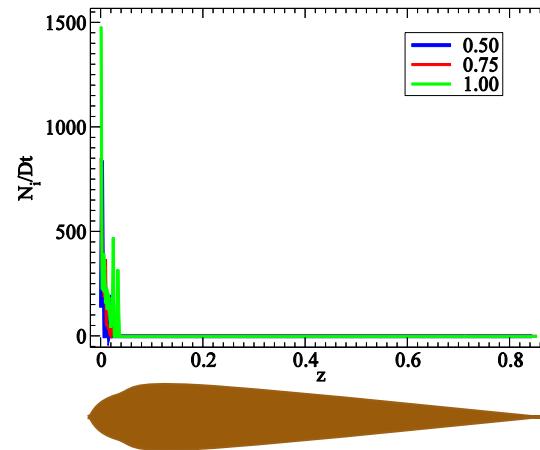
- 'In-fog icing event 2' [Hochart2008]

Parameter	Value
Profile	NACA 63415
Angle of attack	3°
LWC	0.37g/m ³
MVD	27.6 μm
Vrel	18.7 m/s
Re	2.49e5
Time	10.6 min
Mass of accreted ice	24±1.75 g

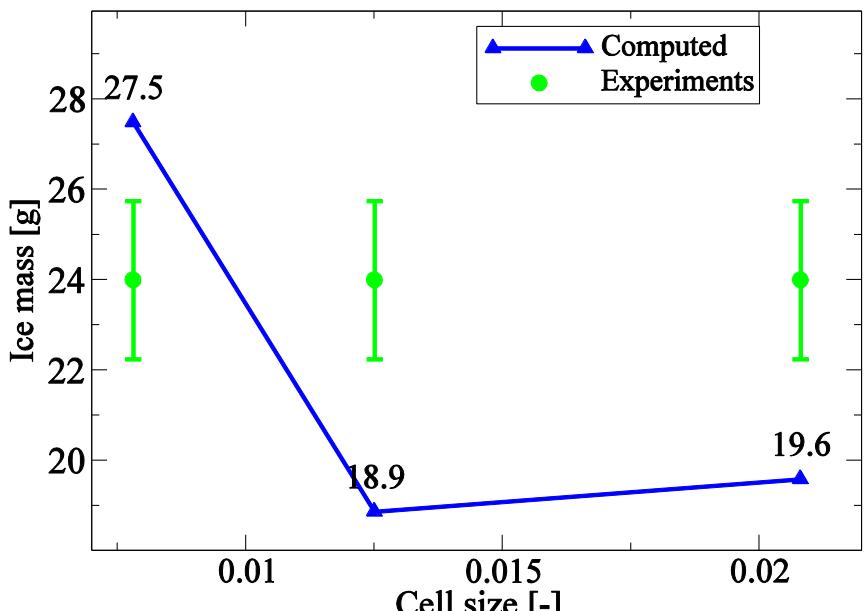
Ice distribution



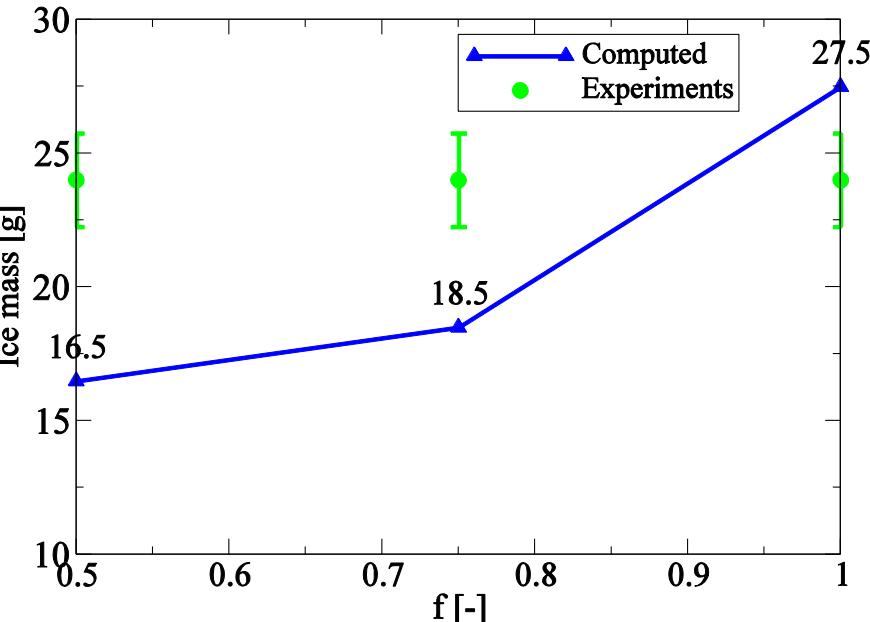
Not scaled



Sensitivity

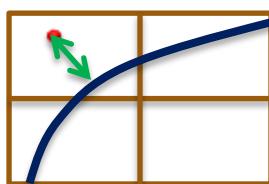


Grid

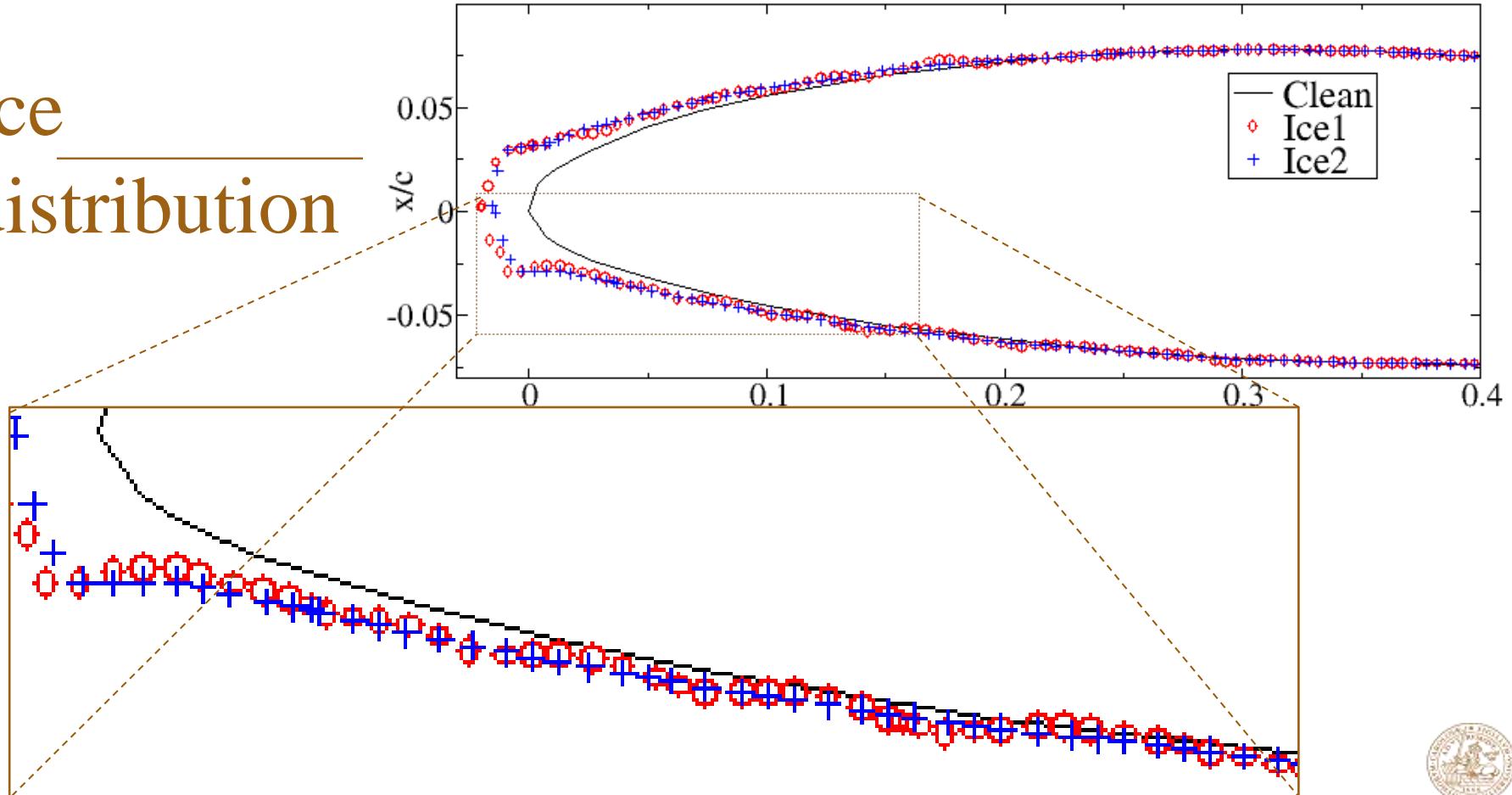


Model parameter

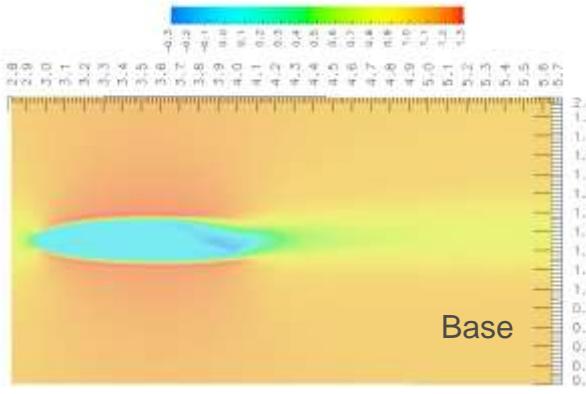
$$d_{cr} = f \Delta$$



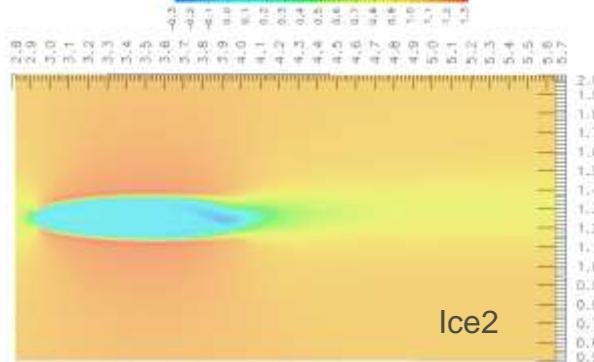
Ice distribution



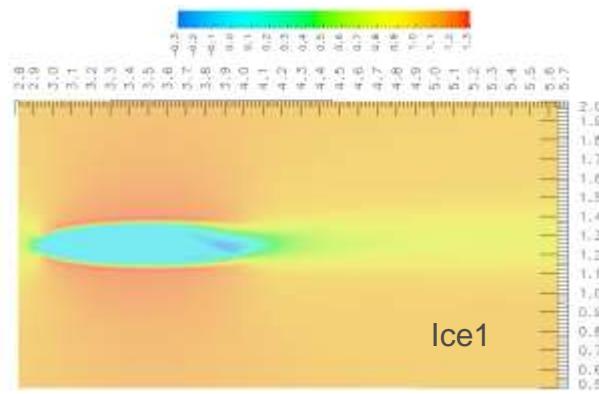
Average velocity



Base

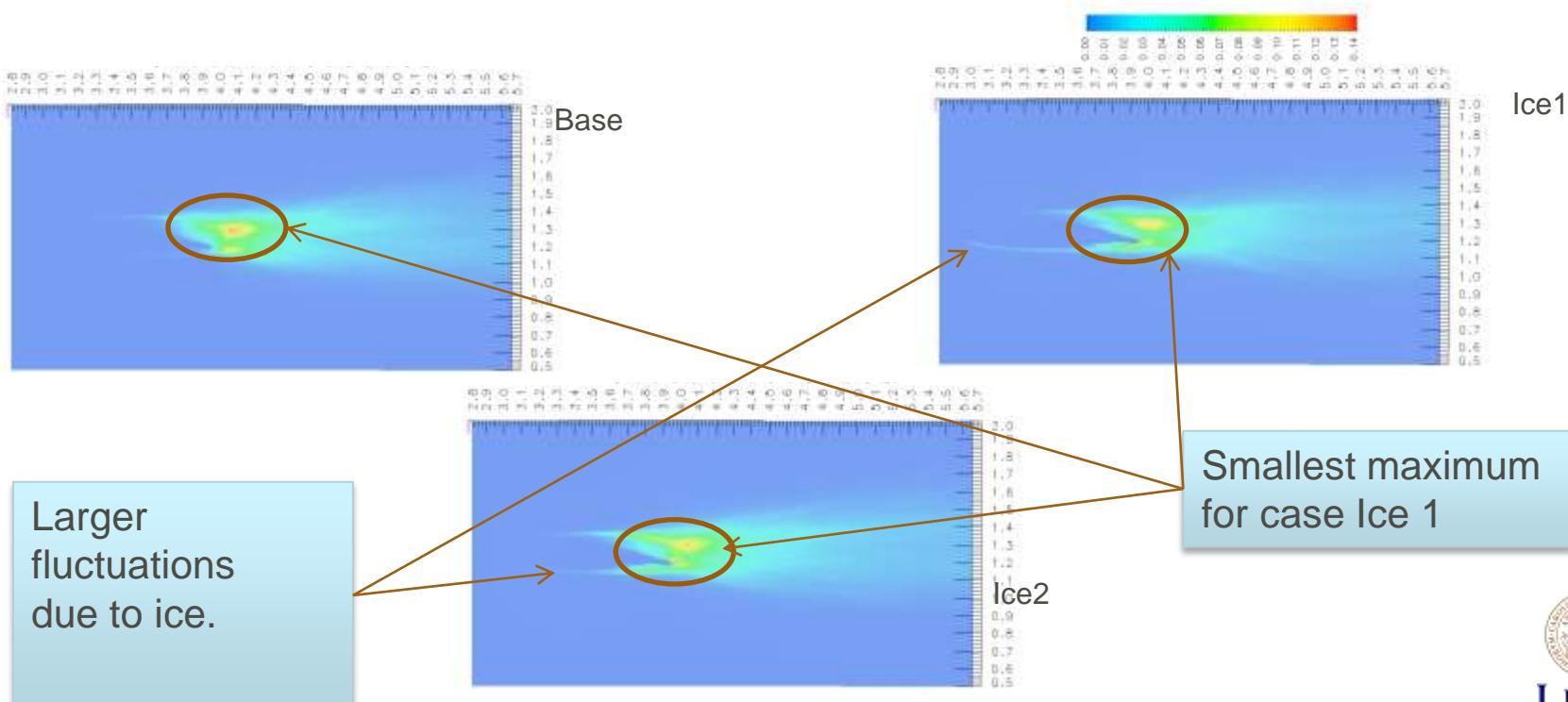


Ice2

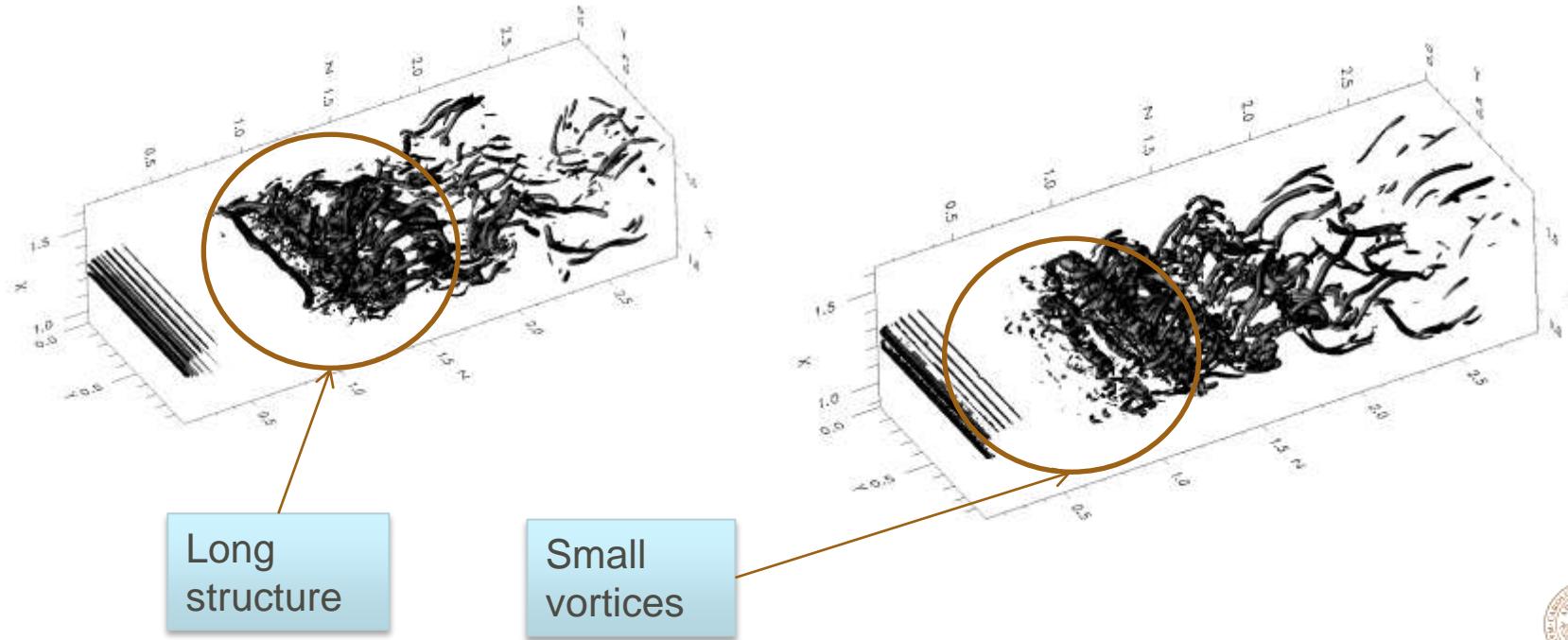


Ice1

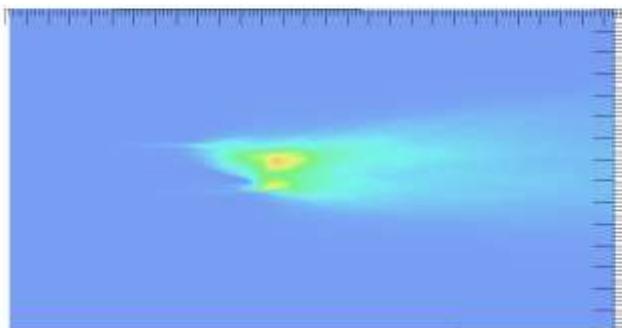
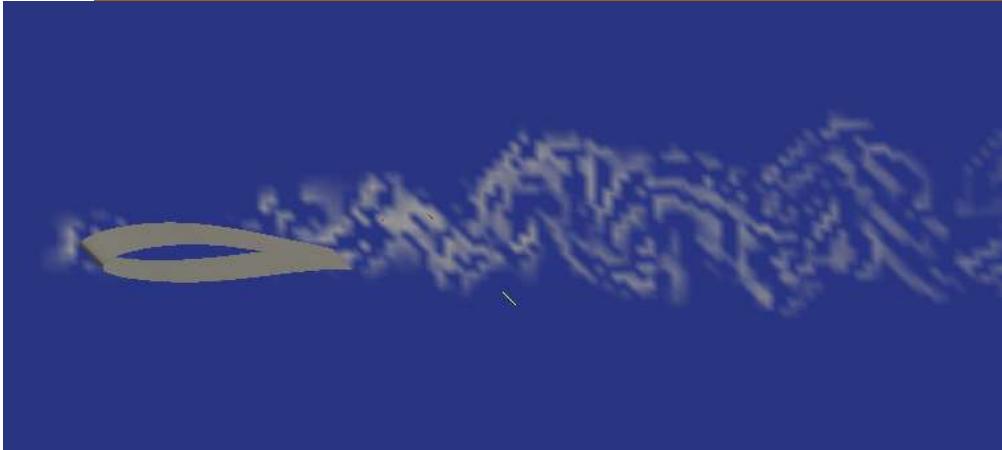
RMS velocity



Vortical structures ($\lambda 2$)



Acoustic sources

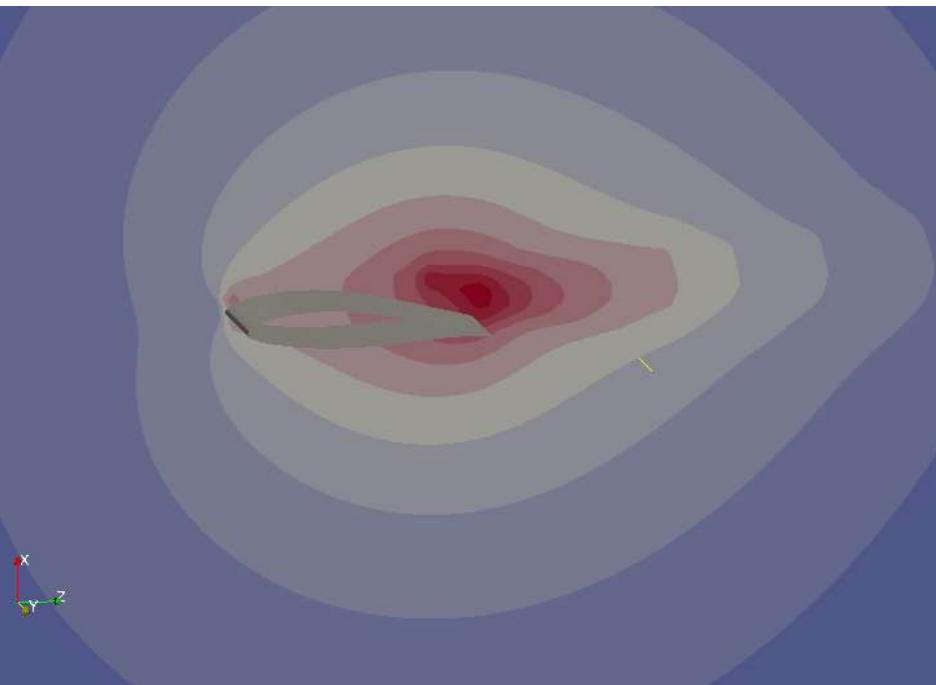


- Lighthill source term
 - Dipoles and monopoles can be computed as well
- Strongest sources in the near wake region

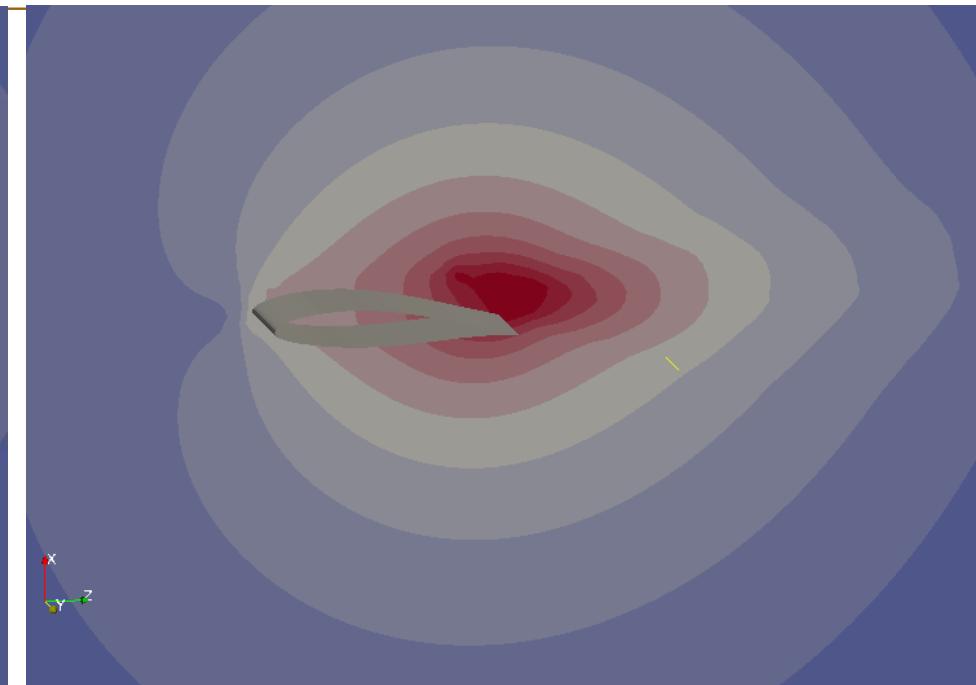
Acoustic density fluctuations

Acoustic density
fluctuations

RMS Acoustic Density Fluctuation

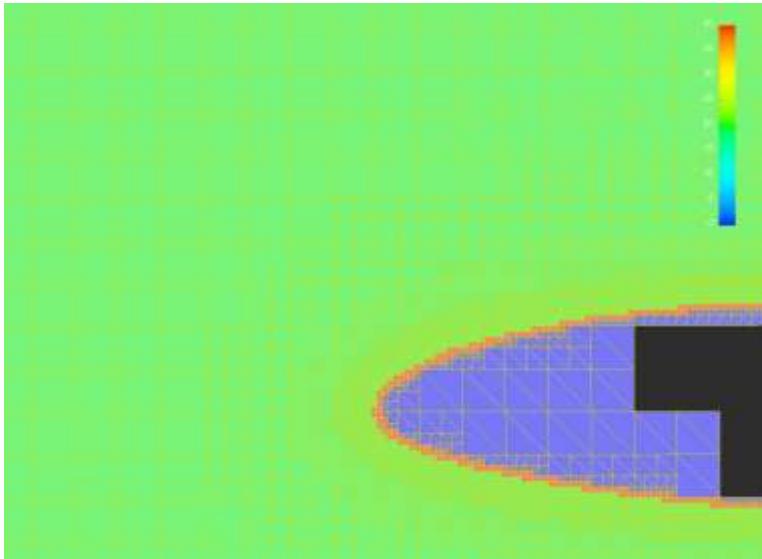


Clean



With ice accretion

Future work



- Other icing conditions
 - Add heat transfer
- Acoustics
 - Account for monopoles and dipoles as well
- Improve efficiency
 - Oct-tree mesh

Thank you!

